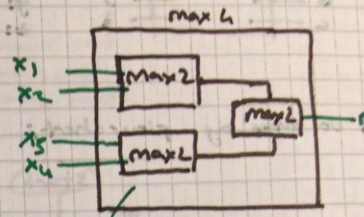
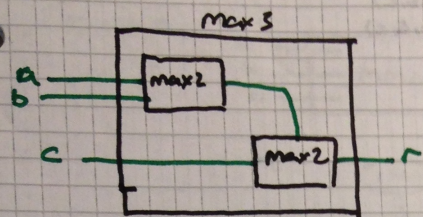


What about max 3?

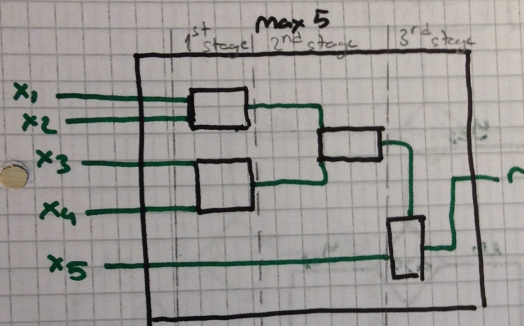
21/03/2015



how: implementation

abstraction = what?

↳ what does it do?
↳ Forget about the details



→ How many max 2 do we need?

"n-1"

Functions:

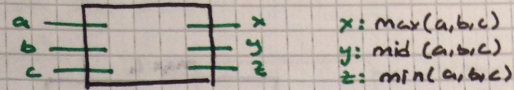
ceiling $\lceil \cdot \rceil$ $\lceil m \rceil = \text{min integer num. } \geq m$

floor $\lfloor \cdot \rfloor$ $\lfloor m \rfloor = \text{max integer number } \leq m$

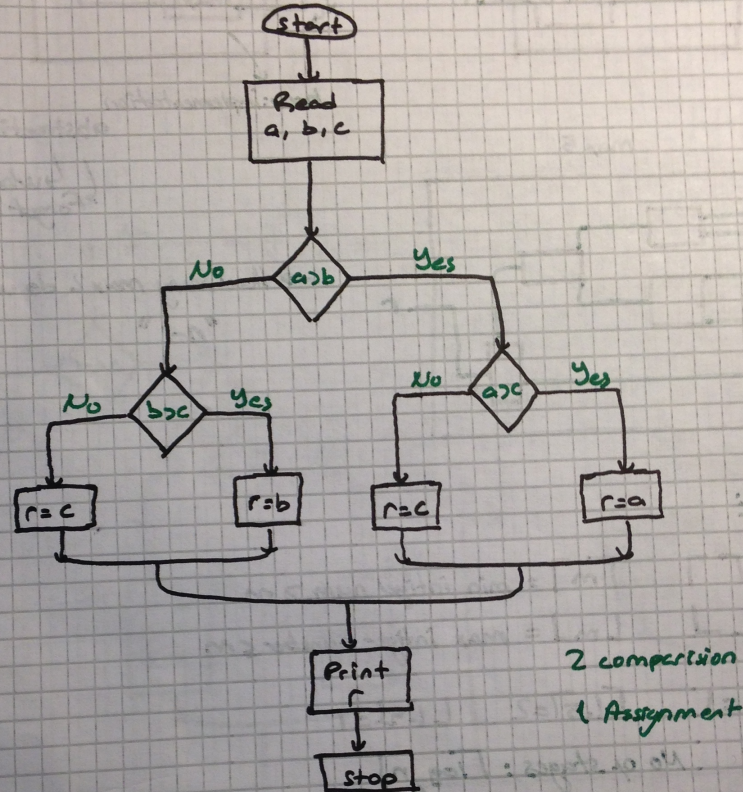
$$\lceil 0.5 \rceil = 1 \quad \lceil 1.5 \rceil = 2 \quad \lfloor 1.5 \rfloor = 1$$

No of stages: $\lceil \log_2 n \rceil$

for ex: $\log_2 5 = \lceil \log_2 5 \rceil = 3$

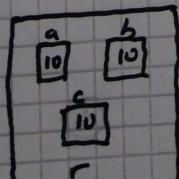


→ Lets do max by flowchart;



→ Note that if you do min you can switch either Yes and No's or the sign ">" to "<"

Variables
int a, b, c, r;
at the main memory

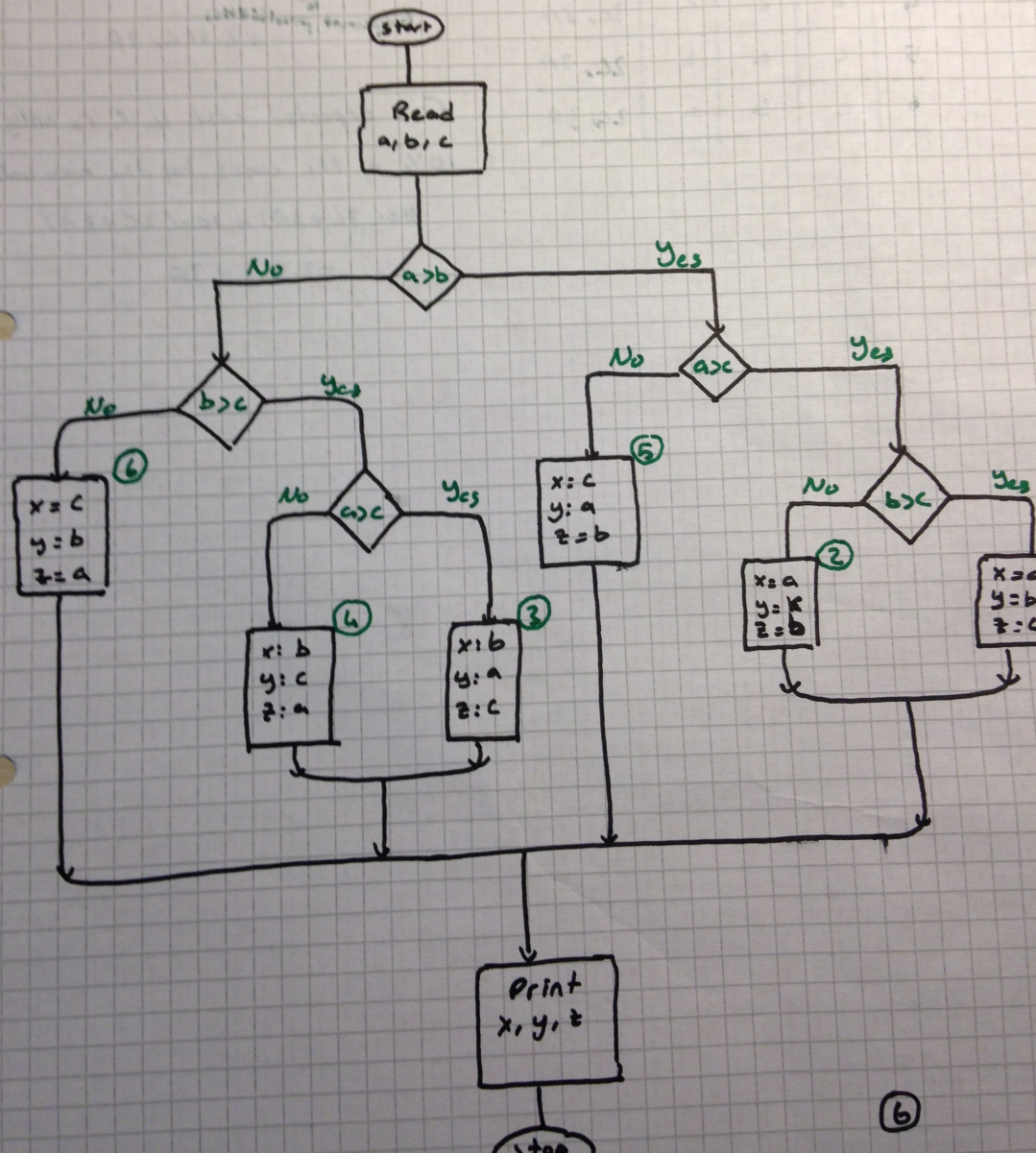
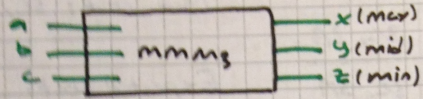


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29/09/2015

→ let's do the mid:

Remember:



(6)

Case	Max	Mid	Min	Cost
1	a	b	c	3C, 3A
2	a	c	b	3C, 3A
3	b	a	c	3C, 3A
4	b	c	a	3C, 3A
5	c	a	b	2C, 3A
6	c	b	a	2C, 3A

Min cost: 2C, 3A

Max cost: 3C, 3A

$$\text{Expected Cost} = \frac{16}{6} C, 3A$$

6 different possibilities
 $= 2.66C, 3A$

Find expected cost if C is only

10% of the cases has the max value:

$$90(3C + 3A) + 10(2C + 3A)$$

$$= 2.9C + 3A$$