

CS351 – FALL '11 – QUIZ #3 – Sec01

Question (a and b): Consider linear hashing . What is bv , h , # of pages at h , and # of pages at $(h+1)$ when number of pages n is (a) 6, (b) 21 ?

Answer (a and b):

$$h = \lfloor \log_2 n \rfloor$$

$$bv = n - 2^h$$

$$\# \text{ of pages at } h = 2^h - bv$$

$$\# \text{ of pages at } (h+1) = 2^{h+1} - bv \text{ or } n - (\# \text{ of pages at } h)$$

- a) $h = 2$, $bv = 2$, # of pages at $h = 2$, # of pages at $(h+1) = 4$
 b) $h = 4$, $bv = 5$, # of pages at $h = 11$, # of pages at $(h+1) = 10$

Question (c): Consider linear hashing with $h = 1$, $bv = 0$, Desired $Lf = 2/3$, and $Bkfr = 3$. Insert the following records: 27, 19, 64, 12, 33.

Answer (c): Note that we use suffixes!

Decimal=> Binary, 27=> 11011, 19=> 10011, 64=> 1000000, 12=> 1100, 33=>100001

			0
27			1

			0
27	19		1

64			0
27	19		1

64	12		0
27	19		1

At this point the desired load factor level has been reached to have a file update we need to add 2 more records.

64	12		0
27	19	33	1

Note that in this example we may even proceed without converting the numbers to binary. Just pay attention if they are even (1-suffix=0) or odd (1-suffix=1).

CS351 – FALL '11 – QUIZ #3 – Sec02

Question: Consider linear hashing.. What is bv , h , # of pages at h , and # of pages at $(h+1)$ when number of pages n is (a) 6, (b) 23, (c) 278 ?

Answer:

$$h = \lfloor \log_2 n \rfloor$$

$$bv = n - 2^h$$

$$\text{\# of pages at } h = 2^h - bv$$

$$\text{\# of pages at } (h+1) = 2^{h+1} \text{ or } n - (\text{\# of pages at } h)$$

- a) $h = 2$, $bv = 2$, # of pages at $h = 2$, # of pages at $(h+1) = 4$
- b) $h = 4$, $bv = 7$, # of pages at $h = 9$, # of pages at $(h+1) = 14$
- c) $h = 8$, $bv = 22$, # of pages at $h = 234$, # of pages at $(h+1) = 44$

d) Quiz Date: 26.10.2011

e) CS351 – FALL '11 – QUIZ #3 – Sec03

Question: Given $n = 200,000$, $R = 400$ bytes, $B = 2400$ bytes, $ebt = 0.5$ ms
What is the time needed to generate the sorted segments using heap sort?

Answer:

$$\text{Time to read unsorted file} = b * ebt = (200,000 * 400 / 2400) * 0.5 \approx 16,7 \text{ s}$$

$$\text{Time to write unsorted file} = b * ebt = 16,7 \text{ s}$$

$$\text{Total time} \approx 16,7 + 16,7 \approx 33,4 \text{ s} \quad [\text{time for } (s+r)\text{'s are neglected}]$$

Optional Question: Consider the above scenario.. Given 10 MB in main memory, how many $(s+r)$'s does sorting take?

Answer:

$$\text{File size} = 200,000 \text{ records} * 400 \text{ bytes} = 80 \text{ MB}$$

$$80 / 10 = 8 \text{ MB for each possible } r/w$$

$$\text{Then } 8*(s+r) \text{ for reading} + 8*(s+r) \text{ for writing} = 16*(s+r)$$